

Element	Wt, %	At, %	Z	A	F
MgK	35.46	38.83	1.0068	0.9871	1.0097
SiK	64.54	61.17	0.9963	0.9548	1.0000

Fig 4. - X-ray spectra and microanalysis results initial system Si/Mg/Si/sitall. where Wt is the weight content of the element, At is the atomic content of the element, Z, A, F are correction factors

X-ray diffraction studies of the elemental composition of the initial Si-Mg-Si systems on a SEM 515 scanning electron microscope with an attachment for microanalysis showed that the atomic ratio of Mg to Si was ~2/1 (Fig 4), which is optimal for the formation of the Mg_2Si magnesium silicide phase. The rest of the peaks belong to the elements that make up the glass-ceramic.

Dependence analysis shows that in all processing modes there is a sharp rise in temperature, and then its decline. It follows from the given data that at energy densities from 337.5 to 390 J/cm² temperatures are reached that are sufficient for the formation of magnesium silicide Mg_2Si .

As a result of the work, a technique for applying a three-layer silicon-magnesium-silicon composition on glass-ceramic substrates was developed. A computer simulation of the temperature change with time in the Si/Mg/Si/sitall system under pulsed photon treatment was carried out, on the basis of which the optimal temperatures and pulse durations for the synthesis of magnesium silicide were determined.

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РЕЗЮМЕ. Бу силицид-кремний гетеро-бирікмаларини yaratish va yangi yarimo'tkazgich qurilmalarini qurish uchun etarli shart emas. Shu sababli, kremniyda Mg_2Si plyonkalarini hosil qilishning yangi usullarini ishlab chiqish shubhasiz qiziqish uyg'otadi, bunda plyonkalarining kristallik sifatini yaxshilash uchun yuqori haroratlardan foydalanish mumkin. Ushbu ishda magniy silisidini hosil qilish uchun tezkor issiqlik bilan ishlav berish (TIB) usuli qo'llanildi. Buning asosida magniy silisidini sintez qilish uchun optimal haroratlar va impuls davomiyligi aniqlanadi.

РЕЗЮМЕ. Для создания гетеропереходов силицид-кремний и построения новых полупроводниковых приборов это не является достаточным условием. Поэтому представляет несомненный интерес разработка новых способов формирования пленок Mg_2Si на кремнии, в которых можно использовать более высокие температуры для повышения кристаллического качества пленок. В данной работе для формирования силицида магния использовали метод быстрой термической обработки (БТО) на основании которого определены оптимальные температуры и длительности импульса для синтеза силицида магния

SUMMARY. This is not a sufficient condition for creating silicide-silicon heterojunctions and building new semiconductor devices. Therefore, it is of undoubted interest to develop new methods for the formation of Mg_2Si films on silicon, in which higher temperatures can be used to improve the crystalline quality of the films. In this work, the rapid heat treatment (RHT) method was used to form magnesium silicide, on the basis of which the optimal temperatures and pulse durations for the synthesis of magnesium silicide are determined

VIET TEOREMASINAN PAYDALANIP PARAMETRLI KVADRAT TEÑLEMELERDI SHESHIW USILLARI

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Tayanch so'zlar: parametr, kvadrat tenglamalar, tenglamaning korenleri.

Ключевые слова: параметр, квадратные уравнения, корни уравнения.

Key words: parameter, quadratic equations, equation roots.

Bizge mektep matematika kurisınan keltirilgen hám tolıq kvadrat teñlemeler ushın Viet teoreması tómendegishe bolatuǵını belgili:

1. Keltirilgen $x^2 + px + q = 0$ kvadrat teñlemesi ushın

Viet teoreması: $x_1 + x_2 = -p$, $x_1 \cdot x_2 = q$

2. Toliq $ax^2 + bx + c = 0$ kvadrat teñlemesi ushın Viet teoreması:

$$x_1 + x_2 = -\frac{b}{a}, \quad x_1 \cdot x_2 = \frac{c}{a}$$

Parametrli kvadrat teñlemeler kóbinese Viet teoremasınan paydalanıp ansat sheshiledi.

1-misal. x_1 hám x_2 sanları $x^2 + 3x + m = 0$ teñlemesiniñ korenleri bolsa, m niñ qanday mánisinde teñlemenin korenleriniñ ayırması 6 ǵa teñ boladı.

Sheshiw. Meyli $x_1 > x_2$ bolsın, onda máselenin shárti boyınsha $x_1 - x_2 = 6$ boladı. m niñ mánisin tabıw ushın

berilgen teñlemenin korenlerin tómendegi teñlemeler sistemasın sheshiw arqalı tabamız:

$$\begin{cases} x_1 + x_2 = -3 \\ x_1 - x_2 = 6 \end{cases} \Leftrightarrow \begin{cases} x_1 + x_2 = -3 \\ x_1 = x_2 + 6 \end{cases} \Leftrightarrow \begin{cases} x_2 + 6 + x_2 = -3 \\ x_1 = x_2 + 6 \end{cases} \Leftrightarrow \begin{cases} 2x_2 = -9 \\ x_1 = x_2 + 6 \end{cases} \Leftrightarrow \begin{cases} x_2 = -\frac{9}{2} \\ x_1 = -\frac{9}{2} + 6 \end{cases} \Leftrightarrow \begin{cases} x_2 = -\frac{9}{2} \\ x_1 = \frac{3}{2} \end{cases}$$

Viet teoreması boyınsha

$$m = x_1 \cdot x_2 = \frac{3}{2} \cdot \left(-\frac{9}{2}\right) = -\frac{27}{4}.$$

Juwbı. $m = -\frac{27}{4}$.

2-misal. Eger $x^2 - bx - b = 0$ teñlemenin korenleri $x_1^3 + x_2^3 + x_1^3 \cdot x_2^3 = 27$

shárti menen berilgen bolsa, b niñ mánisin tabıñ.

Sheshiw. Berilgen kvadrat teñlemeden Viet teoremasınan paydalanıp tómendegi teñliklerdi jazamız:

$$x_1 + x_2 = b, x_1 \cdot x_2 = -b \quad (1)$$

Мисалдин берилген шартин тóмөндөгисхе түрлөндирөмиз:

$$\begin{aligned} x_1^3 + x_2^3 + x_1^3 \cdot x_2^3 &= (x_1^3 + 3x_1^2 \cdot x_2 + 3x_1 \cdot x_2^2 + x_2^3) + \\ &+ (-3x_1^2 \cdot x_2 - 3x_1 \cdot x_2^2) + x_1^3 \cdot x_2^3 = \\ &= (x_1 + x_2)^3 - 3x_1 \cdot x_2 (x_1 + x_2) + x_1^3 \cdot x_2^3 = 27 \end{aligned}$$

Бул таби́лган те́һликке (1) ни́н ма́нислерин қо́ямиз:

$$\begin{aligned} b^3 - 3b(-b) + (-b)^3 &= 27 \Leftrightarrow b^3 + 3b^2 - b^3 = \\ &= 27 \Leftrightarrow 3b^2 = 27 \Leftrightarrow b^2 = 9 \Leftrightarrow b = \pm 3. \end{aligned}$$

Јуваби. $b = \pm 3$.

3-мисал. x_1 һәм x_2 санлари $2x^2 + 5x - 7 = 0$ теһлемесини́н кóренлери болса, $\frac{2x_1^2 + 3x_1x_2 + 2x_2^2}{4x_1^2x_2 + 4x_1x_2^2}$ бóлшегини́н ма́нисини́н

дурис ямаса надурис бóлшек болату́гинин ани́қлаң.

Sheshiw.

$$\begin{aligned} \frac{2x_1^2 + 3x_1x_2 + 2x_2^2}{4x_1^2x_2 + 4x_1x_2^2} &= \frac{2x_1^2 + 4x_1x_2 + 2x_2^2 - x_1x_2}{4x_1^2x_2 + 4x_1x_2^2} = \\ &= \frac{2(x_1^2 + 2x_1x_2 + x_2^2) - x_1x_2}{4x_1x_2(x_1 + x_2)} = \frac{2(x_1 + x_2)^2 - x_1x_2}{4x_1x_2(x_1 + x_2)} \end{aligned} \quad (1)$$

Берилген квадрат теһлемеден Viet теóремасинан пайдала́нп тóмөндөгиде теһликлерди јазамиз:

$$x_1 + x_2 = -\frac{5}{2}, x_1 \cdot x_2 = -\frac{7}{2}$$

Бул ма́нислерди (1) ге қо́ямиз:

$$\begin{aligned} \frac{2x_1^2 + 3x_1x_2 + 2x_2^2}{4x_1^2x_2 + 4x_1x_2^2} &= \frac{2(x_1 + x_2)^2 - x_1x_2}{4x_1x_2(x_1 + x_2)} = \\ &= \frac{2\left(-\frac{5}{2}\right)^2 - \frac{7}{2}}{4 \cdot \left(-\frac{5}{2}\right) \cdot \left(-\frac{7}{2}\right)} = \frac{\frac{25}{2} - \frac{7}{2}}{35} = \frac{16}{35} < 1. \end{aligned}$$

Demek, берилген бóлшек дурис бóлшек.

Јуваби. Дурис бóлшек.

4-мисал. $4x^2 - \sqrt{85}x + 5\frac{1}{4} = 0$ теһлемесин sheshpesten, они́н кóренлерини́н кубларини́н айы́рмасин таби́н.

Sheshiw. Берилген теһлемени́н еки жа́н 4 ге бóлемиз:

$$x^2 - \frac{\sqrt{85}}{4}x + \frac{21}{16} = 0$$

Бул теһлемени Viet теóремасинан пайдала́нп тóмөндөгисхе јазамиз:

$$x_1 + x_2 = \frac{\sqrt{85}}{4}, x_1 \cdot x_2 = \frac{21}{16}$$

Meyli $x_1 > x_2$ bolsin,

$$\begin{aligned} x_1^3 - x_2^3 &= (x_1^3 - 3x_1^2x_2 + 3x_1x_2^2 - x_2^3) + \\ &+ (3x_1^2x_2 - 3x_1x_2^2) = (x_1 - x_2)^3 + 3x_1x_2(x_1 - x_2) \end{aligned} \quad (1)$$

Теһлемени́н кóренлерини́н айы́рмасин тóмөндөгисхе түрлөндирөмиз:

$$\begin{aligned} x_1 - x_2 &= \sqrt{(x_1 - x_2)^2} = \sqrt{x_1^2 - 2x_1 \cdot x_2 + x_2^2} = \sqrt{x_1^2 + 2x_1 \cdot x_2 + x_2^2 - 4x_1 \cdot x_2} = \\ &= \sqrt{(x_1 + x_2)^2 - 4x_1 \cdot x_2} = \sqrt{\frac{85}{16} - 4 \cdot \frac{21}{16}} = \sqrt{\frac{85 - 84}{16}} = \sqrt{\frac{1}{16}} = \frac{1}{4}, \end{aligned}$$

Бул таби́лганларди (1) ге қо́ямиз:

$$\begin{aligned} x_1^3 - x_2^3 &= (x_1 - x_2)^3 + 3x_1x_2(x_1 - x_2) = \\ &= \left(\frac{1}{4}\right)^3 + 3 \cdot \frac{21}{16} \cdot \frac{1}{4} = \frac{1}{64} + \frac{63}{64} = \frac{64}{64} = 1. \end{aligned}$$

Јуваби. $x_1^3 - x_2^3 = 1$.

5-мисал. a параметрини́н қандай ма́нислеринде $x^2 + 5x + a = 0$ теһлемеси- ни́н кóренлери x_1 һәм x_2

$\frac{x_1}{x_2} + \frac{x_2}{x_1} + a > 0$ теһсизлигин қанаатландиради.

Sheshiw. Берилген квадрат теһлема sheshimge iye bolıwı ushın onıń diskriminantı oń bolıwı tiyis, yaǵnıy $D = 25 - 4a \geq 0 \Leftrightarrow 4a \leq 25 \Leftrightarrow a \leq \frac{25}{4}$.

Берилген теһлемени Viet теóремасинан пайдала́нп тóмөндөгисхе јазамиз:

$$x_1 + x_2 = -5, x_1 \cdot x_2 = a$$

Берилген теһсизлик шартин тóмөндөгисхе түрлөндирөмиз:

$$\begin{aligned} \frac{x_1}{x_2} + \frac{x_2}{x_1} + a &= \frac{x_1^2 + x_2^2 + ax_1x_2}{x_1x_2} = \frac{x_1^2 + 2x_1x_2 + x_2^2 - 2x_1x_2 + ax_1x_2}{x_1x_2} = \\ &= \frac{(x_1 + x_2)^2 - 2x_1x_2 + ax_1x_2}{x_1x_2} = \frac{a^2 - 2a + 25}{a} > 0 \\ \frac{a^2 - 2a + 25}{a} > 0 &\Leftrightarrow \frac{a^2 - 2a + 1 + 24}{a} > 0 \Leftrightarrow \frac{(a-1)^2 + 24}{a} > 0 \Leftrightarrow a > 0. \end{aligned}$$

Јуваби. $0 < a \leq \frac{25}{4}$.

6-мисал. Eger $tg\alpha$ һәм $tg\beta$, $4x^2 - 3x + 1 = 0$ теһлемесини́н кóренлери болса, α һәм β мұйешлерини́н қосиндисин таби́н.

Sheshiw. Берилген теһлемени Viet теóремасинан пайдала́нп тóмөндөгисхе јазамиз:

$$x_1 + x_2 = \frac{3}{4}, x_1 \cdot x_2 = \frac{1}{4}$$

Сони́н менен бирге $x_1 = tg\alpha$ һәм $x_2 = tg\beta$ берилген квадрат теһлемени́н кóренлери, olay bolsa α һәм β мұйешлерини́н қосиндисин таби́w ushın еки мұйешти́н қосиндисини́н tangensi formulasınan пайдала́нп тóмөндөгисхе табамиз:

$$tg(\alpha + \beta) = \frac{tg\alpha + tg\beta}{1 - tg\alpha \cdot tg\beta} = \frac{x_1 + x_2}{1 - x_1 \cdot x_2} = \frac{\frac{3}{4}}{1 - \frac{1}{4}} = \frac{\frac{3}{4}}{\frac{3}{4}} = 1$$

Bunnan $tg(\alpha + \beta) = 1 \Leftrightarrow \alpha + \beta = \frac{\pi}{4} + \pi n, n \in \mathbb{Z}$.

Јуваби. $\alpha + \beta = \frac{\pi}{4} + \pi n, n \in \mathbb{Z}$.

Адебиатлар

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- REZYUME.** Ushbu maqolada Viet teoremasidan foydalanib parametrli kvadrat tenglamalarni yechish usullari ko'rsatilgan.
- РЕЗЮМЕ.** В этой статье приведены методы решения квадратных уравнений с параметром при помощи теоремы Виета.
- SUMMARY.** This article provides methods for solving quadratic equations with a parameter using Vieta's theorem.